

CSE 4125: Distributed Database Systems Chapter – 6

Optimization of Access Strategies.
(part – A)

Outline

- Query optimization
- Problems in query optimization

Query Optimization*

- Permutation of the ordering of operations within a query can provide many equivalent **strategies** to execute it.
- Finding an “**optimal**” ordering of operations for a given query is important.
 - Done by query optimization layer(or optimizer for short).

Challenges in Query Optimization

- Materialization
 - Data (physical images) on which the query is executed.
- Order of execution
 - i.e. good sequence of join, semi-join, union etc.
- Method of execution
 - i.e. sequentially/ parallel, clustering the operations etc.

Objective of Query Optimization*

The selection of the optimal strategy consists—

- ***a search space***: the set of alternative execution plans that represent the input query.
- ***a cost model***: predicts the cost of a given execution plan.
- ***a search strategy***: explores the search space and selects the best plan, using the cost model.

Objective of Query Optimization*

(contd.)

Cost model needs to measure –

- 1. Execution cost:** weighted combination of I/O, CPU, and communication costs.
- 2. Fragment statistics (Database profiles):**
 - Estimating the amount of data in the fragments.
 - Estimating the cardinalities of results of relational operations.

Performance Measurement

- The selection of the optimal strategy is made by measuring their expected performances.
- **In centralized DB,**
 - Number of I/O operations
 - Usage of CPU

Performance Measurement (contd.)

- The selection of the optimal strategy is made by measuring their expected performances.
- **In DDB,**
 - Number of I/O operations
 - Usage of CPU
 - Data transmission requirements *[dominant]*

Data Transmission

Data transmission requirement can be evaluated by –

- **Transmission cost**
 - i.e. cost to initiate a transmission, routing cost etc.
- **Transmission delay**
 - i.e. elapse time between activation and completion of an app.

Data Transmission (contd.)

Data transmission requirement can be evaluated by –

- **Transmission cost**

$$TC(x) = C_0 + x * C_1$$

- **Transmission delay**

$$TD(x) = D_0 + x * D_1$$

Data Transmission (contd.)

Data transmission requirement can be evaluated by –

- **Transmission cost**

$$TC(x) = C_0 + x * C_1$$

- **Transmission delay**

$$TD(x) = D_0 + x * D_1$$

x = Transmitted data

C's and D's are system dependent constants.

C_0 = initialization fixed cost

C_1 = network wide unit cost

D_0 = connection initialization fixed time

D_1 = network wide unit transfer rate

Data Transmission (contd.)

Data transmission requirement can be evaluated by *(more detailed characterization)*

- Transmission cost

$$TC(x) = C_0^{ij} + x * C_1^{ij}$$

- Transmission delay

$$TD(x) = D_0^{ij} + x * D_1^{ij}$$

i and j denote source and destination respectively.

Database Profiles

What are Database Profiles*?

- Statistical information of the database.
- Necessity:
 - To perform sequence of operations, relations must be transmitted over the network.
 - It is important to estimate the size of the results to minimize the data transfers.
 - We need the statistical information (**database profile**) to estimate.

Information in Database Profiles

For a relation $R(A_1, A_2, \dots, A_n)$ with fragments R_1, R_2, \dots, R_r the database profile contains following information.

- **card (R_i):** number of tuples of R_i .
- **size (A_i):** size or length (i.e. number of bytes) of attribute A_i .
 - For simplicity, same attribute name \rightarrow same size
- **size (R_i):** sum of the size of all attributes of R_i .

Information in Database Profiles (contd.)

For a relation $R(A_1, A_2, \dots, A_n)$ with fragments R_1, R_2, \dots, R_r the database profile contains following information.

- **val ($A_i [R_i]$):** number of distinct values appearing for attribute A_i of R_i .
- **dom(A_i):** domain of an attribute.
- **site (R_i):** allocated site of the fragment R_i .

Database Profiles (example)

card (DEPT₁) = 10

site(DEPT₁) = 2

	deptnum	name	area	mgrnum
size	2	15	1	7
val	10	10	2	10

Q: size (R_i) = ?

Estimating profiles of results of algebraic operations

What to Estimate?

- Estimating the profiles of results of algebraic operations.
- This information is useful for optimization (previous slides).
- Assume, R and S are input fragments and T is the result.
 - We will mostly estimate $card(T)$ and $size(T)$.
 - Example: If $card(R)$ and $card(S)$ is given, can we estimate $card(T)$ for $T = R \cup S$?

Union

$$T = R \cup S$$

card (T) ? card (R) ? card (S)

size (T) ? size (R) ? size (S)

Selection

$$T = SL_{A = value} R$$

$$\text{card}(T) = \rho * \text{card}(R)$$

Here ρ is selectivity.

$$\rho = \frac{1}{\text{val}(A[R])}$$

Selection (contd.)

$$T = SL_{A = value} R$$

card (T) = ρ * card (R)

Here ρ is selectivity.

$$\rho = \frac{1}{val(A[R])}$$

example

$$T = SL_{A1 = B} R$$

$$\rho = ?$$

$$\text{card}(T) = ?$$

R

A1	A2
A	E
B	F
C	G
D	H

Selection (contd.)

$$T = SL_{A = value} R$$

card (T) = ρ * card (R)

Here ρ is selectivity.

$$\rho = \frac{1}{val(A[R])}$$

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$$T = SL_{A1 = B} R$$

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Selection (contd.)

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A1	A2
A	E
A	F
A	G
B	H

Selection (contd.)

$$T = SL_{A = \text{value}} R$$

card (T) = ρ * card (R)

Here ρ is selectivity.

$$\rho = \frac{1}{\text{val}(A[R])}$$

Assuming, values are homogeneously distributed

example

$$T = SL_{A1 = B} R$$

$$\rho = ?$$

$$\text{card}(T) = ?$$

R

A1	A2
A	E
A	F
A	G
B	H

Selection (contd.)

According to *Selinger et al.* (1979),

- For $A > value$,

$$\rho = \frac{\max(A) - value}{\max(A) - \min(A)}$$

- For $A < value$,

$$\rho = \frac{value - \min(A)}{\max(A) - \min(A)}$$

Selection (contd.)

size (T) = ?

Projection

$$T = PJ_A R$$

card (T) = ?

example

R

A1	A2
A	E
B	F
C	G
B	H

Projection (contd.)

$$T = PJ_A R$$

$$\text{card}(T) = \text{val}(A[R])$$

Projection (contd.)

$$T = P J_A R$$

size (T) ? size (R)

Cartesian Product

$$T = R \times S$$

$$\text{card}(T) = \text{card}(R) \times \text{card}(S)$$

Join

$$T = R \text{ JOIN}_{R.A = S.B} S$$

card (T) = ?

Join (contd.)

$$T = R \bowtie_{R.A = S.B} S$$

$$\begin{aligned} \text{card}(T) &= \text{selectivity} * \text{card}(R \bowtie S) \\ &= \rho * (\text{card}(R) \times \text{card}(S)) \end{aligned}$$

Join (contd.)

$$T = R \bowtie_{R.A = S.B} S$$

$$\text{card}(T) = \text{selectivity} * \text{card}(R \times S)$$

$$= \rho * (\text{card}(R) \times \text{card}(S))$$

$$= \frac{1}{\text{val}(A[R])} \times \text{card}(R) \times \text{card}(S)$$

$$= \frac{\text{card}(R) \times \text{card}(S)}{\text{val}(A[R])} = \frac{\text{card}(R) \times \text{card}(S)}{\text{val}(B[S])}$$

Semi-Join

$$T = R \text{ SJ}_{R.A = S.B} S$$

card (T) = ?

Semi-Join (contd.)

$$T = R \text{ SJ}_{R.A = S.B} S$$

$$\text{card}(T) = \rho * \text{card}(R)$$

According to *Hevner et al. (1979)*,

$$\rho = \frac{\text{val}(A[R])}{\text{val}(\text{dom}(A))}$$

Optimization Graph

Optimization Graph

- A model to describe query optimization.
- Convenient than operator tree.
- Include only *critical* operations (critical for data transmission)

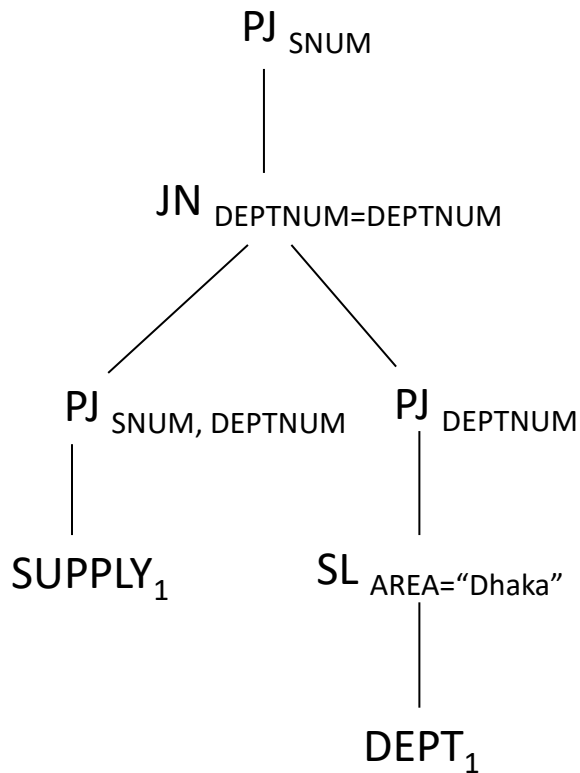
Optimization Graph (contd.)

- Unary operations are *not critical*.
 - Effect only by reducing operands and **do not need data transmission**.
 - These operations are collected by a program called *fragment reducer*.

Optimization Graph (contd.)

- Unary operations are *not critical*.
 - Effect only by reducing operands and **do not need data transmission**.
 - These operations are collected by a program called *fragment reducer*.
- Binary operations are *critical*.
 - When operands are not in the same site, they **need data transmission**.
 - CP, DF and SJ are not considered as they are rare. JN and UN are kept which gives us a graph called **optimization graph**.

Optimization Graph (example)



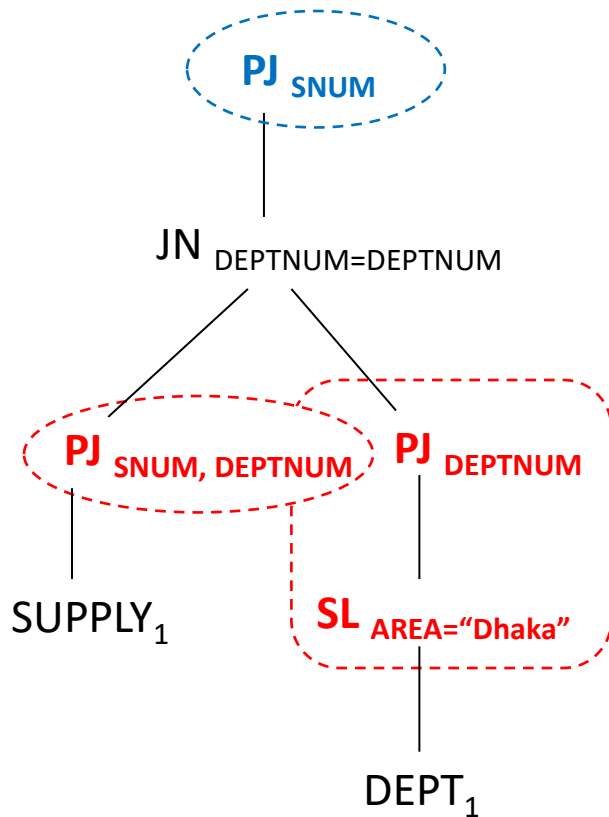
card(SUPPLY₁) = 30000
 site(SUPPLY₁) = 1

	snum	pnum	deptnum	quan
size	6	7	2	10
val	1800	1000	20	500

card(DEPT₁) = 10
 site(DEPT₁) = 2

	deptnum	name	area	mgrnum
size	2	15	1	7
val	10	10	2	10

Optimization Graph (example)



Fragment Reducer Program:

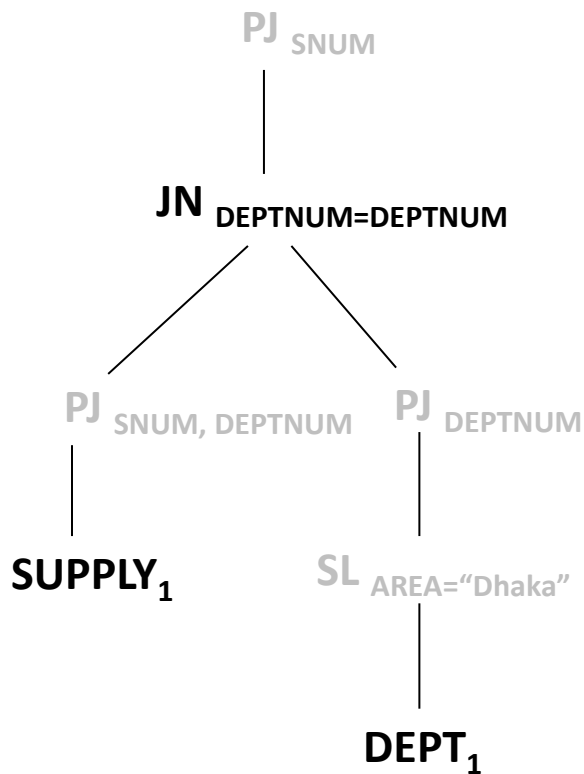
Before binary operation:

- Reducer for $SUPPLY_1$: $PJ_{SNUM, DEPTNUM}$
- Reducer for $DEPT_1$: $PJ_{DEPTNUM} SL_{AREA="Dhaka"}$

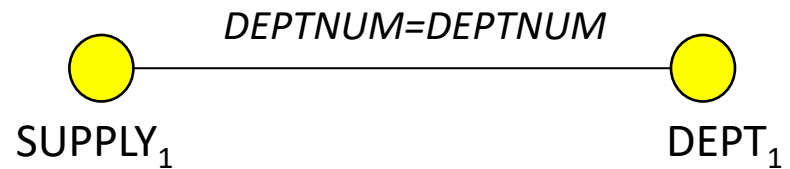
After binary operation:

- Reducer for Result: PJ_{SNUM}

Optimization Graph (example)



- Optimization Graph:



- Reduced profiles:

	snum	deptnum
size	6	2
val	1800	20

SUPPLY₁

	deptnum
size	2
val	10

DEPT₁

Additional Reading

- Significance of the *detailed characterization* of the formulas of $TC(x)$ and $TD(x)$.
- Advantages of optimization graph.
- Representing UN's in optimization graph.
- Assumptions for distributed query optimization.

Practice Problems/ Questions